

**333556(33)**

**B. E. (Fifth Semester) Examination,  
April-May/Nov.-Dec. 2020**

**(New Scheme)**

**(IT Engg. Branch)**

**THEORY of COMPUTATION**

***Time Allowed : Three hours***

***Maximum Marks : 80***

***Minimum Pass Marks : 28***

***Note : Part (a) of each question is compulsory and carry 2 marks. In remaining part (b), (c) and (d). Attempt any two and each carry equal marks.***

**Unit-I**

1. (a) The transition function of NFA with  $\epsilon$  is defined by

(i)  $Q \times \Sigma$  to  $Q$

(ii)  $Q \times \Sigma$  to  $2^Q$

[ 2 ]

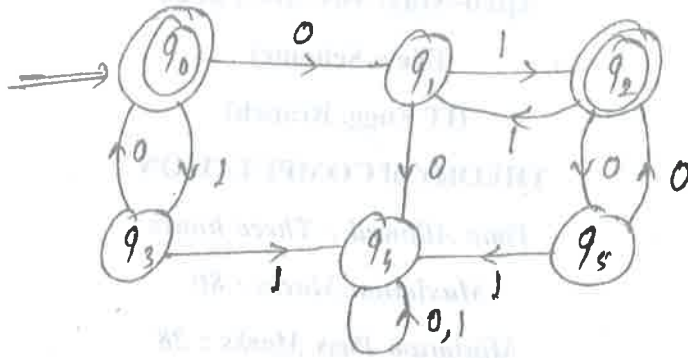
(iii)  $Q \times \{ \Sigma \cup \epsilon \}$  to  $2^Q$

(iv)  $Q \times \{ \Sigma \cup \epsilon \}$  to  $Q$

2

(b) Construct minimum state automata equivalent to the following DFA.

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(c) Construct equivalent a deterministic finite automata equivalent to  $M = \langle \{ q_0, q_1, q_2, q_3 \}, \{ 0, 1 \}, \delta, q_0, \{ q_3 \} \rangle$  where is given by

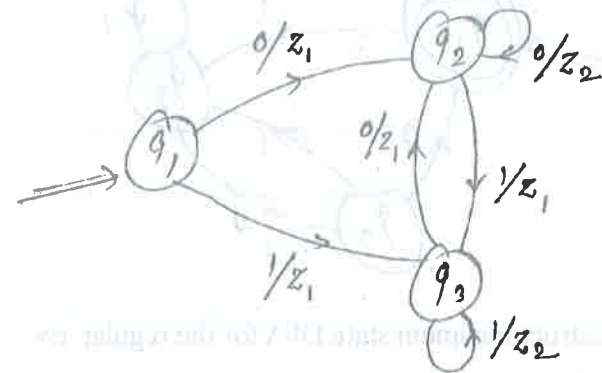
state $\Sigma$	a	b
$\rightarrow q_0$	$q_0, q_1$	$q_0$
$q_1$	$q_2$	$q_1$
$q_2$	$q_3$	$q_3$
$\circlearrowleft q_3$		$q_2$

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(d) Consider the Mealy machine represented by following diagram. Construct equivalent Moore Machine and find outcome for input 0011 in both Mealy and Moore machine.



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### Unit-II

2. (a) The regular expression  $(P+Q)^*$  is equal to

2

(i)  $(P^*Q)^*$

(ii)  $(PQ^*)^*$

(iii)  $(PQ)^*$

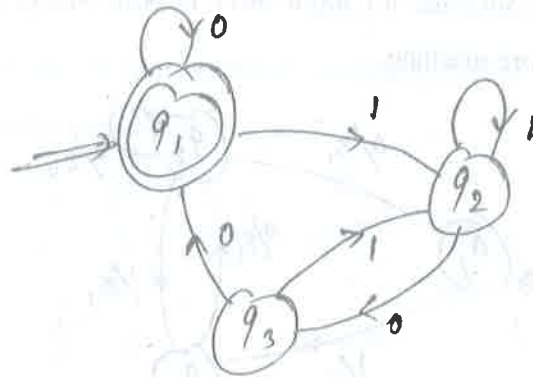
(iv)  $(P^* + Q^*)^*$

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(b) Construct regular expression corresponding to following state diagram.



(c) Construct minimum state DFA for the regular expression

$$10 + (0 + 11)0^*1.$$

(d) What is pumping lemma? Prove what language

$$L = \{ 0^j, 1^j / j \geq 1 \}$$

### Unit-III

3. (a) Consider the set of production  $P$  of some grammar

$G$  as

$$S \rightarrow aS/Sb/a/b$$

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The above production support the format of

- (i) Regular grammar
- (ii) Content free grammar
- (iii) Regular and content free grammar
- (iv) None

(b) Show that following grammar is ambiguous :

$$(i) S \rightarrow a/abSb/aAb$$

$$A \rightarrow bS/aAAb$$

$$(ii) S \rightarrow aB/ab$$

$$A \rightarrow aAB/a$$

$$B \rightarrow ABb/b$$

(c) Reduce the following CFG to GNF.

$$S \rightarrow ABb/a, A \rightarrow aaA, B \rightarrow bAb$$

(d) Find an equivalent CNF grammar for the following grammar :

$$S \rightarrow \sim S \mid [ S \supset S ] \mid p/q \text{ (} S \text{ being the only variable).}$$

### Unit-IV

4. (a)  $\{ a^n b^n / n \geq 1 \}$  is accepted by a PDA

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- (i) by null store and also by final state
- (ii) by null store but not by final state
- (iii) by final state but not by null store
- (iv) by none of these 2

(b) Design deterministic PDA for the following language

$$L = \left\{ WCW^R / W \in (0+1)^* \right. \\ \left. W^R \text{ is reverse of } W \text{ and } C \text{ is a terminal symbol} \right\} 7$$

(c) Design a Turing machine to accept.

$$L = \left\{ 0^n, 1^n / n \geq 1 \right\} 7$$

(d) Write short notes on following :

- (i) Post Correspondence problem 3½
- (ii) Church's Hypothesis 3½

### Unit-V

5. (a) The evaluated value of composition function

$$S \left( Z \left( U_1^3 (2, 4, 7) \right) \right) \text{ is}$$

- (i) 2
- (ii) 4

[ 7 ]

(iii) 7

(iv) 1

2

(b) Show that the function  $f(x, y) = x + y$  is primitive recursive. 7

(c) Construct Turing Machine what can compute the zero initial function ; Z. 7

(d) Explain recursive and recursively enumerable language in detail. 7